# A tool for reconstructing codes from memory traces

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### Goal

**Rebuilding affine loop** nests from a trace of memory accesses

- without user intervention
- without usage of source or

# **Problem Formulation & Reconstruction Method**

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### **Affine loop**

DO 
$$i_1 = 0$$
,  $u_1(\overrightarrow{\imath})$ 

DO 
$$i_n = 0$$
,  $u_n(\overrightarrow{\imath})$   
 $V[f_1(\overrightarrow{\imath})] \dots [f_m(\overrightarrow{\imath})]$ 

The access can be rewritten as a linear combination of the loop indices

 $V[f_1(\overrightarrow{\imath})] \dots [f_m(\overrightarrow{\imath})] = V[c_0 + i_1c_1 + \dots + i_nc_n]$  $\sigma^k = V(\overrightarrow{\imath}^{k+1}) - V(\overrightarrow{\imath}^k)$ 

#### binary code

# **Memory Trace**

1 0x1e2d140 2 0x1e2d140 • • • 30 0x1e2d140 31 0x1e2d240 32 0x1e2d248 33 0x1e2d240 34 0x1e2d248 • • •

88 0x1e2d248 89 0x1e2d340 90 0x1e2d348 91 0x1e2d350 92 0x1e2d340 93 | 0x1e2d348

### **Traversal of a tree-like space to generate the observed strides**





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## **Reconstructed Code**

#define N 32 double p[N], A[N][N]; 3 for(i = 0; i < N; ++i) {</pre> x = A[i][i];5 for(j = 0; j <= i-1; ++j) x = x - A[i][j] \* A[i][j];6 7 p[i] = 1.0 / sqrt(x);8 for(j = i+1; j < N; ++j) {</pre> 9 x = A[i][j];10 for  $(k = 0; k \le i-1; ++k)$ 11 x = x - A[j][k] \* A[i][k];12 A[j][i] = x \* p[i];13 14



 $i i_n^k + 1$ 

# **Experimental Evaluation**



# Applications

- Hardware and software prefetching
- ✦ Data placement
- Dependence analysis
- Design of embedded memories
- Trace compression